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(%i24) kill(all);
(%o0) done

(%i1) load("vect");
(%o1)
C:/PROGRA~2/MAXIMA~1.0-2/share/maxima/5.28.0-2/share/vector/vect.mac

(%i2) declare([r,A,B,C,rcA], nonscalar);
(%o2) done

□ 1 Eqs.(25) ff.

(%i3) r: [x,y,z];
(%o3) [x,y,z]

(%i4) A: factor(express(A0/sqrt(2)*[1,-%i,0]*exp(%i*(Omega*t-kappa*z))))
(%o4) 
$$\left[ \frac{e^{i\Omega t - i\kappa z} A_0}{\sqrt{2}}, -\frac{i e^{i\Omega t - i\kappa z} A_0}{\sqrt{2}}, 0 \right]$$


(%i5) realpart(A);
(%o5) 
$$\left[ \frac{\cos(\kappa z - \Omega t) A_0}{\sqrt{2}}, -\frac{\sin(\kappa z - \Omega t) A_0}{\sqrt{2}}, 0 \right]$$


(%i6) rdA: ratsimp((r.A));
(%o6) 
$$-\frac{(\sqrt{2} i e^{i\Omega t} y - \sqrt{2} e^{i\Omega t} x) e^{-i\kappa z} A_0}{2}$$


(%i7) rcA: ev(factor(express(r~A)),simplifyall);
(%o7) 
$$\left[ \frac{i z e^{i\Omega t - i\kappa z} A_0}{\sqrt{2}}, \frac{z e^{i\Omega t - i\kappa z} A_0}{\sqrt{2}}, -\frac{(y + i x) e^{i\Omega t - i\kappa z} A_0}{\sqrt{2}} \right]$$


(%i8) H22: %i*e^2/(m*r1^2)*sigma[z]*factor(rdA*rcA);
(%o8) 
$$\left[ \frac{e^{2(i y - x) z} e^{2 i \Omega t - 2 i \kappa z} \sigma_z A_0^2}{2 m r_1^2}, -\frac{i e^{2(i y - x) z} e^{2 i \Omega t - 2 i \kappa z} \sigma_z A_0^2}{2 m r_1^2}, \frac{i e^{2(y + i x)(i y - x)} e^{2 i \Omega t - 2 i \kappa z} \sigma_z A_0^2}{2 m r_1^2} \right]$$


(%i9) H22a: H22.[0,0,1];
(%o9) 
$$\frac{i e^{2(y + i x)(i y - x)} e^{2 i \Omega t - 2 i \kappa z} \sigma_z A_0^2}{2 m r_1^2}$$


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$$\begin{aligned} & \text{(%i10) H22r: gfactor(realpart(H22a));} \\ & \text{(%o10) } -\frac{e^2 \sigma_z (2xy \sin(2(\kappa z - \Omega t)) + (y^2 - x^2) \cos(2(\kappa z - \Omega t))) A_0^2}{2 m r l^2} \end{aligned}$$

$$\begin{aligned} & \text{(%i11) H22i: gfactor(imagpart(H22a));} \\ & \text{(%o11) } \frac{e^2 \sigma_z ((y^2 - x^2) \sin(2(\kappa z - \Omega t)) - 2xy \cos(2(\kappa z - \Omega t))) A_0^2}{2 m r l^2} \end{aligned}$$

□ **2 Eqs.(30) ff.**

$$\begin{aligned} & \text{(%i12) A1: conjugate(A);} \\ & \text{(%o12) } \left[\frac{e^{i\kappa z - i\Omega t} A_0}{\sqrt{2}}, \frac{i e^{i\kappa z - i\Omega t} A_0}{\sqrt{2}}, 0 \right] \end{aligned}$$

$$\begin{aligned} & \text{(%i13) realpart(A1);} \\ & \text{(%o13) } \left[\frac{\cos(\kappa z - \Omega t) A_0}{\sqrt{2}}, -\frac{\sin(\kappa z - \Omega t) A_0}{\sqrt{2}}, 0 \right] \end{aligned}$$

□ This is the conjugate term $r \cdot A^*$

$$\begin{aligned} & \text{(%i14) rdA1: ratsimp((r.A1));} \\ & \text{(%o14) } \frac{e^{-i\Omega t} (\sqrt{2} i y + \sqrt{2} x) e^{i\kappa z} A_0}{2} \end{aligned}$$

$$\begin{aligned} & \text{(%i15) H22: } i e^2 / (m r l^2) * \text{sigma}[z] * \text{factor}(rdA1 * rcA); \\ & \text{(%o15) } \left[-\frac{e^2 (i y + x) z \sigma_z A_0^2}{2 m r l^2}, \frac{i e^2 (i y + x) z \sigma_z A_0^2}{2 m r l^2}, -\frac{i e^2 (y + i x) (i y + x) \sigma_z A_0^2}{2 m r l^2} \right] \end{aligned}$$

$$\begin{aligned} & \text{(%i21) H22a: H22.[0,0,1];} \\ & \text{(%o21) } -\frac{i e^2 (y + i x) (i y + x) \sigma_z A_0^2}{2 m r l^2} \end{aligned}$$

$$\begin{aligned} & \text{(%i22) gfactor(H22a);} \\ & \text{(%o22) } \frac{e^2 (y - i x) (y + i x) \sigma_z A_0^2}{2 m r l^2} \end{aligned}$$

$$\begin{aligned} & \text{(%i29) H22r: factor((realpart(H22a)));} \\ & \text{(%o29) } \frac{e^2 (y^2 + x^2) \sigma_z A_0^2}{2 m r l^2} \end{aligned}$$

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[ (%i30) H22i: (imagpart(H22a));  
  (%o30) 0
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