

Rodriguez Solution Check

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<< VectorAnalysis`
SetCoordinates[Cartesian[x, y, z]]
Cartesian[x, y, z]

r = Sqrt[x^2 + y^2 + z^2];
α = Ω r Cos[Ω r] - Sin[Ω r];
β = 3 α + Ω^2 r^2 Sin[Ω r];

W = Simplify[Expand[
  -C {α Ω y / r^3 - β x z / r^5, -β y z / r^5 - α Ω x / r^3, β (y^2 + x^2) / r^5 - 2 α / r^3}]]
{
  1
  (x^2 + y^2 + z^2)^{5/2} C (
    -√(x^2 + y^2 + z^2) Ω (-3 x z + x^2 y Ω + y (y^2 + z^2) Ω) Cos[√(x^2 + y^2 + z^2) Ω] +
    (x^2 y Ω + y (y^2 + z^2) Ω + x^3 z Ω^2 + x z (-3 + y^2 Ω^2 + z^2 Ω^2)) Sin[√(x^2 + y^2 + z^2) Ω]
  ),
  1
  (x^2 + y^2 + z^2)^{5/2} C (
    √(x^2 + y^2 + z^2) Ω (3 y z + x y^2 Ω + x (x^2 + z^2) Ω) Cos[√(x^2 + y^2 + z^2) Ω] +
    (-x y^2 Ω - x (x^2 + z^2) Ω + y^3 z Ω^2 + y z (-3 + x^2 Ω^2 + z^2 Ω^2)) Sin[√(x^2 + y^2 + z^2) Ω]
  ),
  -1
  (x^2 + y^2 + z^2)^{5/2} C (
    (x^2 + y^2 - 2 z^2) √(x^2 + y^2 + z^2) Ω Cos[√(x^2 + y^2 + z^2) Ω] +
    (2 z^2 + x^4 Ω^2 + y^4 Ω^2 + y^2 (-1 + z^2 Ω^2) + x^2 (-1 + 2 y^2 Ω^2 + z^2 Ω^2)) Sin[√(x^2 + y^2 + z^2) Ω]
  )
}

eqn1 = FullSimplify[Expand[Curl[W] - Ω W]]
{0, 0, 0}

Simplify[Div[W]]
0

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