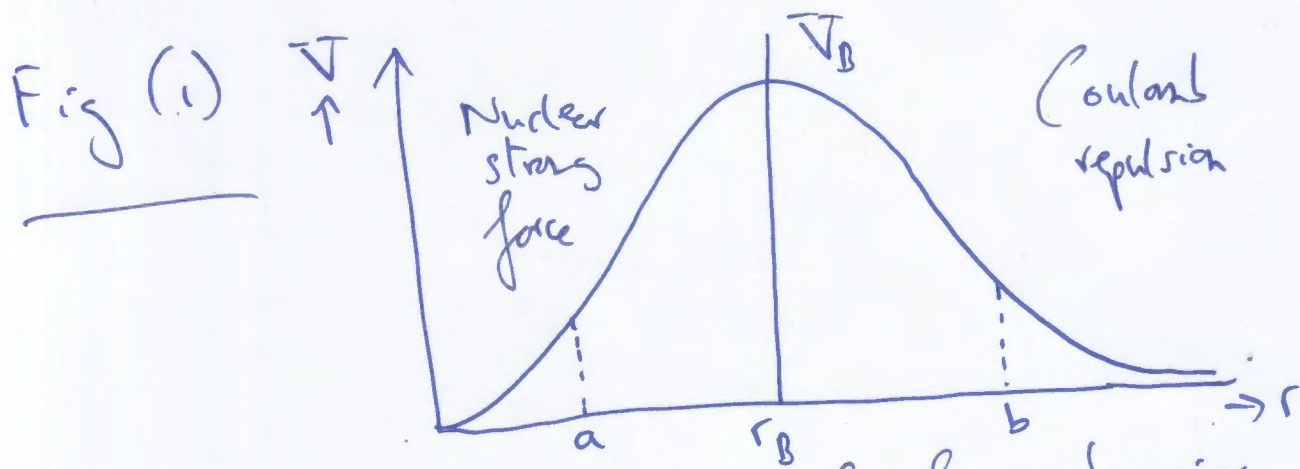


# 229(5) : Fusion Barrier Potential.

Reference : Google "fusion internuclear potential energy"  
 then : "Nuclear fusion joining the heaviest elements"  
[www.pitp.physics.ucr.ca/casf/qinfo-nbody/talks/hinde.ppt](http://www.pitp.physics.ucr.ca/casf/qinfo-nbody/talks/hinde.ppt)



In this process,  $V_B$  is the fusion barrier.  
 Therefore the combined potential is:

$$V = V_0 \left( 1 - \frac{1}{1 + \exp\left(\frac{r-R_0}{a}\right)} \right) + \frac{Z_1 Z_2 e^2}{4\pi\epsilon_0 r} \quad \text{--- (1)}$$

The transmission coefficient of quantum tunnelling is:

$$T = \frac{4}{\left( 2\theta + \frac{1}{2\theta} \right)^2} \quad \text{--- (2)}$$

where:

$$T = \exp \left( - \frac{(2\mu)^{1/2}}{\hbar} \int_a^b (V(x) - E)^{1/2} dx \right) \quad - (3)$$

is the WKB approximation.

Eq. (1) is a combination of a Woods Saxon potential and Coulomb potential. Here:

$V_0$  = potential barrier height

$a_1$  = effective surface thickness

$R$  = radius parameter.

$Z_1, Z_2$  = number of protons in ions 1 and 2.

Deep quantum tunneling is a process that is considered in standard fusion theory, but in low energy fusion theory the condition must be found where:

$$T \rightarrow 1 \text{ for } E \ll V$$

- (4)

The Schrodinger equation is:

$$\left( -\frac{\hbar^2}{2\mu} \nabla^2 + V \right) \psi = E \psi \quad - (5)$$

3) where 
$$\mu = \frac{m_1 m_2}{m_1 + m_2} \quad - (6)$$

is Q reduced mass.

An atom of mass  $m_1$  interacts with an atom of mass  $m_2$ . The WKB approximation is used, i.e.  $V$  does not vary rapidly with  $x$ .

In some theories of low energy nuclear fusion, a wave of some kind is present. This is described sometimes as a phonon wave.

In ECE theory it is a wave of spacetime.

The Schrodinger equation (5) is a limit of the ECE wave equation:

$$(\square + R) \psi^\alpha = 0. \quad - (7)$$

The next note will use eq. (7) to describe absorption of a spacetime wave by changing  $R$ .

The potential (1) is a special case of  $R$ .